

実習6.2

> solve( $a \cdot x^3 + b \cdot x^2 + c \cdot x + d = 0, x$ )

$$\begin{aligned}
 & \frac{1}{6a} \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a - 108da^2 + 36cba \right. \\
 & \quad \left. - 8b^3 \right)^{1/3} - (2(3ca - b^2)) / \\
 & \left( 3a \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a - 108da^2 \right. \right. \\
 & \quad \left. \left. + 36cba - 8b^3 \right)^{1/3} \right) - \frac{b}{3a}, \\
 & - \frac{1}{12a} \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a - 108da^2 \right. \\
 & \quad \left. + 36cba - 8b^3 \right)^{1/3} + (3ca - b^2) / \\
 & \left( 3a \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a - 108da^2 \right. \right. \\
 & \quad \left. \left. + 36cba - 8b^3 \right)^{1/3} \right) - \frac{b}{3a} \\
 & + \frac{1}{2} \left( \sqrt{3} \left( \frac{1}{6a} \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a \right. \right. \right. \\
 & \quad \left. \left. - 108da^2 + 36cba - 8b^3 \right)^{1/3} + (2(3ca - b^2)) \right) / \\
 & \left( 3a \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a - 108da^2 \right. \right. \\
 & \quad \left. \left. + 36cba - 8b^3 \right)^{1/3} \right) \Big), \\
 & - \frac{1}{12a} \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a - 108da^2 \right. \\
 & \quad \left. + 36cba - 8b^3 \right)^{1/3} + (3ca - b^2) / \\
 & \left( 3a \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a - 108da^2 \right. \right. \\
 & \quad \left. \left. + 36cba - 8b^3 \right)^{1/3} \right) - \frac{b}{3a} \\
 & - \frac{1}{2} \left( \sqrt{3} \left( \frac{1}{6a} \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a \right. \right. \right. \\
 & \quad \left. \left. - 108da^2 + 36cba - 8b^3 \right)^{1/3} + (2(3ca - b^2)) \right) / \\
 & \left( 3a \left( 12\sqrt{3} \sqrt{27a^2d^2 - 18abcd + 4ac^3 + 4b^3d - b^2c^2} a - 108da^2 \right. \right. \\
 & \quad \left. \left. + 36cba - 8b^3 \right)^{1/3} \right) \Big)
 \end{aligned}
 \tag{1}$$